

Code No: 07A81205

R07**Set No. 2**

IV B.Tech II Semester Examinations, April/May 2012
PATTERN RECOGNITION
Information Technology

Time: 3 hours**Max Marks: 80**

Answer any FIVE Questions
All Questions carry equal marks

1. For each of the following datasets, construct a normal plot, and decide if the data appear to be approximately normally distributed.
 - (a) 35, 43, 46, 48, 51, 55, 58, 65
 - (b) 2.0, 3.0, 3.2, 3.5, 3.7, 3.9, 4.0, 4.2, 4.4, 4.4, 4.5, 4.8, 5.0, 5.1, 5.4, 5.8, 6.1 [8+8]
2. Explain the Bayesian estimation or Bayesian learning approach to pattern classification problems. [16]
3. Discuss the state transition matrix and state-transition coefficients for 4-state left-right Model. [16]
4. Class A has a symmetric triangular density ranging from 0 to 4, and class B has a uniform density ranging from 2 to 6. The prior probabilities and costs are the same for both classes.
 - (a) Where are the optimal decision regions?
 - (b) What are the probabilities of error for class A and for class B if these decision regions are used. [16]
5. Write short notes on the following:
 - (a) Applications of normal mixtures in unsupervised learning
 - (b) Mixture density
 - (c) Component densities
 - (d) Mixing parameters. [16]
6. (a) Given the observation sequence $O=(o_1, o_2, \dots, o_T)$ and the model $\lambda = (A, B, \pi)$ how do we choose a corresponding state sequence $q=(q_1, q_2, \dots, q_T)$ that is optimal in some sense (i.e. best explains the observations)?
 (b) Explain N-state urn-and-ball model. [8+8]
7. Consider the use of multidimensional scaling for representing the points $x_1 = (1, 0)^t$, $x_2 = (0, 0)^t$, and $x_3 = (0, 0)^t$, in one dimensions. To obtain a unique solution, assume that the image points satisfy $0 = y_1 < y_2 < y_3$.
 Show that the criterion function J_e is minimized by the configuration with $y_2 = (1 + \sqrt{2})/3$ and $y_3 = 2y_2$. [16]

Code No: 07A81205

R07

Set No. 2

8. Distinguish between the preprocessing, feature extraction and classification operations of pattern recognition system. [16]

JNTUWORLD

Code No: 07A81205

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1. Explain the class- conditional densities in Bayesian estimation. [16]
2. (a) How do we adjust the model parameters $\lambda=(A, B, \pi)$ to maximize $P(O/\lambda)$?
(b) Explain the discrete-time Markov process. [8+8]
3. Explain the related minimum variance criteria in clustering with examples. [16]
4. Explain the functional structure of a general statistical Pattern classifier with neat diagram. [16]
5. (a) Find the mean and variance of a standard normal distribution.
(b) Explain decision regions for two-dimensional Gaussian data. [8+8]
6. Explain non-linear component analysis with neat diagram. [16]
7. Explain about error rate, risk multiplier classifiers of Post processing in pattern recognition system. [16]
8. (a) In which case Hidden Markov model parameter set to zero initially will remain at zero throughout the re-estimation procedure.
(b) Constraints of the left-right model have no effect on the re-estimation procedure. Justify. [8+8]

Code No: 07A81205

R07**Set No. 1**

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1. Classes A and B are bivariate normally distributed with $\mu_x, \mu_y, \sigma_x, \sigma_y$, and ρ_{xy} of 0, 0, 1, 2, 0 for class A and 2, 0, 1, 1, 0 for class B. $P(A) = 2/5$, $P(B) = 3/5$, and the cost of misclassifying an A is three times that for a B.
 - (a) What is the equation of the optimal decision boundary?
 - (b) Sketch the optimal decision boundary and a contour of constant probability density for each class. [8+8]
2. (a) In a poll of 500 people, 300 were in favor of proposition. Find a 95 percent confidence Interval for the true fraction of people in favor of the proposition?
 (b) Explain the terms prior probability and posterior probability in Bayes decision theory. [8+8]
3. Explain the three basic problems for Hidden Markov Model. [16]
4. Show that if our model is poor, the maximum-likelihood classifier we derive is not the best-even among our (poor) model set-by exploring the following example. Suppose we have two equally probable categories (i.e., $P(\omega_1) = P(\omega_2) = 0.5$). Furthermore, we know that $p(x/\omega_1) \sim N(0,1)$ but assume that $p(x/\omega_2) \sim N(\mu, 1)$. (That is, that parameter θ we seek by maximum-likelihood techniques is the mean of the second distribution.) Imagine, however, that the true underlying distribution is $p(x/\omega_2) \sim N(1, 10^6)$.
 - (a) What is the value of our maximum-likelihood estimate μ in our poor model, given a large amount of data?
 - (b) What is the decision boundary arising from this maximum-likelihood estimate in the poor model? [8+8]
5. How do you justify that a three-layer network cannot be used for non-linear principal component analysis, even if the middle layer consists of nonlinear units. [16]
6. Let $x_1 = \begin{pmatrix} 0 \\ 0 \end{pmatrix}$, $x_2 = \begin{pmatrix} 1 \\ 1 \end{pmatrix}$, $x_3 = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$, and $x_4 = \begin{pmatrix} 2 \\ 0.5 \end{pmatrix}$, and consider the following three partitions:

$$D_1 = \{x_1, x_2\}, D_2 = \{x_3, x_4\}$$

$$D_1 = \{x_1, x_4\}, D_2 = \{x_2, x_3\}$$

$$D_1 = \{x_1, x_2, x_3\}, D_2 = \{x_4\}$$

Code No: 07A81205

R07**Set No. 1**

- (a) Find the clustering that minimizes the sum-of-squared error criterion,

$$J_e = \sum_{i=1}^c \sum_{x \in D_i} \|x - m_i\|^2$$

- (b) Find the clustering that minimizes the trace criterion,

$$J_e = |SW| = \left| \sum_{i=1}^c s_i \right| \quad [16]$$

7. (a) Explain the concept of decision boundary in design of simple classifiers.
(b) Explain the design cycle of pattern recognition system and also explain the computational complexity in the design. [8+8]
8. What are the restrictions placed on the form of the probability density function to ensure that the parameters of the pdf can be re-estimated in a consistent way? [16]

Code No: 07A81205

R07**Set No. 3**

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1. (a) Write sum-of squared functions for multidimensional scaling.
 (b) How do you compute the gradients of criterion function of multidimensional scaling? [8+8]
2. (a) Explain the concept of classification in pattern recognition system with examples.
 (b) Explain the concept of post processing in pattern recognition system with examples. [8+8]
3. (a) Explain the marginal density functions.
 (b) Use a Z-transformation and the normal tables to calculate $P(-1 \leq x \leq 2)$ where x has the density $P(x) = \frac{1}{3\sqrt{2\pi}} e^{-(x-2)^2/18}$ [8+8]
4. (a) Explain the general principle of maximum likelihood estimation.
 (b) Find the maximum likelihood estimate for μ in a normal distribution. [8+8]
5. (a) Write the re-estimation formulas for the coefficients of the mixture density.
 (b) Discuss the state transition matrix for 4-state ergodic model and 6-state parallel path left- right model with examples. [8+8]
6. Some data with features x and y (see the following table) were randomly selected from a population that consists of classes A and B. What is the probability that a new sample with $x = 0, y = 1$ belongs to class A? Make only necessary assumptions and list them. [16]

Class	Samples	X=0	X=1	Y=0	Y=1
A	6	4	2	5	1
B	4	2	2	3	1

7. If a set of n samples D is partitioned into c disjoint subsets D_1, \dots, D_c , the sample mean m_i for samples in D_i is undefined if D_i is empty. In such a case, the sum-of-squared errors involves only the nonempty subsets:

$$J_e = \sum_{D_i \neq \phi} \sum_{x \in D_i} \|x - m_i\|^2$$

Assuming that $n \geq c$, show there are no empty subsets in a partition that minimizes J_e . Explain your answer in words. [16]

Code No: 07A81205

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8. Consider an HMM representation (Parameterized by λ') of a coin-tossing experiment. Assume a three-state model (Corresponding to three different coins with probabilities)

	State1	State2	State3
P(H)	0.5	0.75	0.25
P(T)	0.5	0.25	0.75

The state - transition probabilities were

$$a_{11} = 0.9, \quad a_{21} = 0.45, \quad a_{31} = 0.45$$

$$a_{12} = 0.05, \quad a_{22} = 0.1, \quad a_{32} = 0.45$$

$$a_{13} = 0.05, \quad a_{23} = 0.45, \quad a_{33} = 0.1$$

In this new model λ' , consider the observation sequence $O = (H H H H T H T T T T)$. What state sequence is most likely? What is the Probability of the observation sequence most likely state sequence? [16]
